

Grade	Yield Point	Tensile Point
A36	36 ksi	58-80 ksi
A572	42-65 ksi*	0.5-0.7%
A514	100 ksi	110-130 ksi

Prepared by Eng.Maged Kamel.

As a result of the preceding information, the AISC Specification (D2) states that the nominal strength of a tension member, P_n , is to be the smaller of the values obtained by substituting into the following two expressions:

For the limit state of yielding in the gross section (which is intended to prevent excessive elongation of the member),

$$P_n = F_y A_g \quad \leftarrow \text{Limit state of Yielding} \quad (\text{AISC Equation D2-1})$$

$$\phi_t P_n = \phi_t F_y A_g = \text{design tensile strength by LRFD } (\phi_t = 0.9)$$

$$\frac{P_n}{\Omega_t} = \frac{F_y A_g}{\Omega_t} = \text{allowable tensile strength for ASD } (\Omega_t = 1.67)$$

For tensile rupture in the net section, as where bolt or rivet holes are present,

$$P_n = F_u A_e \quad \leftarrow \text{Limit state of Rupture} \quad (\text{AISC Equation D2-2})$$

$$\phi_t P_n = \phi_t F_u A_e = \text{design tensile rupture strength for LRFD } (\phi_t = 0.75)$$

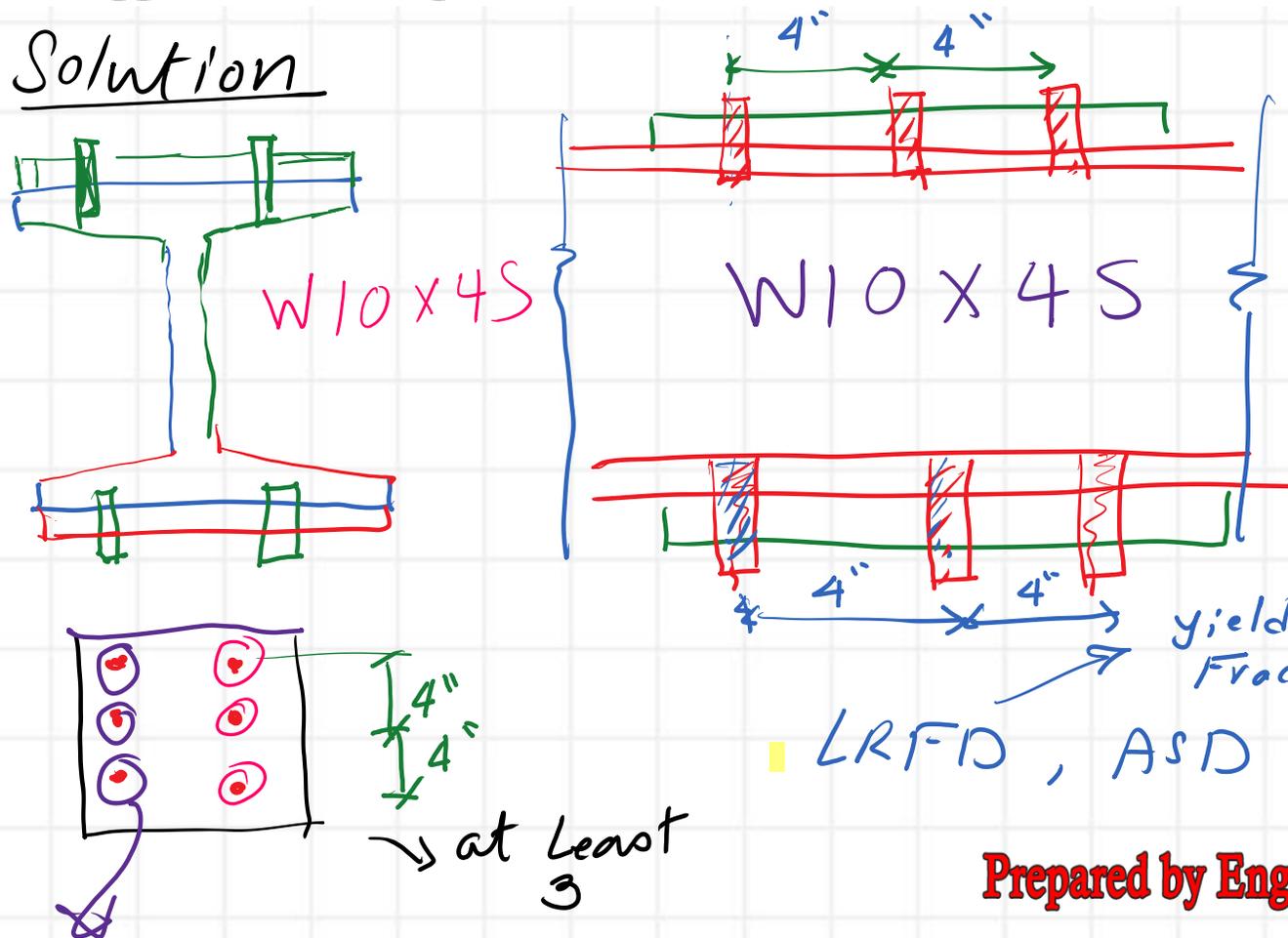
$$\frac{P_n}{\Omega_t} = \frac{F_u A_e}{\Omega_t} = \text{allowable tensile rupture strength for ASD } (\Omega_t = 2.00)$$

Example 3-6

McCormac.

Determine the LRFD design tensile strength and the ASD allowable design tensile strength for a W10 × 45 with two lines of $\frac{3}{4}$ -in diameter bolts in each flange using A572 Grade 50 steel, with $F_y = 50$ ksi and $F_u = 65$ ksi, and the AISC Specification. There are assumed to be at least three bolts in each line 4 in on center, and the bolts are not staggered with respect to each other.

Solution

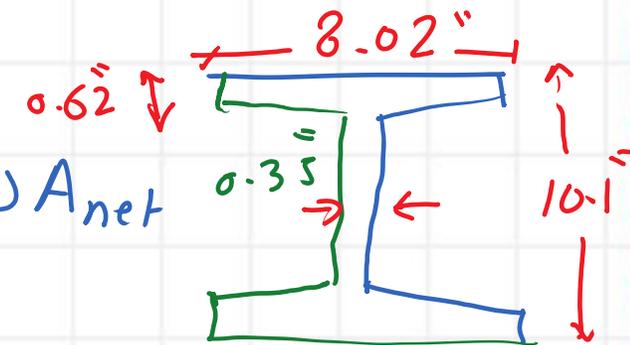


$$d_b = \frac{3}{4} \Rightarrow d_h = \frac{3}{4} + \frac{1}{8} = \frac{7}{8}$$

Shape	Area, A in. ²	Depth, d in.	Web				Flange				Distance				
			Thickness, t _w in.	t _w /2 in.	Width, b _f in.	Thickness, t _f in.	k		k ₁ in.	T in.	Workable Gage in.				
							k _{des} in.	k _{det} in.							
W10x45	13.3	10.1	10 ¹ / ₈	0.350	3 ³ / ₈	3 ³ / ₁₆	8.02	8	0.620	5 ⁵ / ₈	1.12	15 ¹⁵ / ₁₆	13 ¹³ / ₁₆	7 ⁷ / ₂	5 ⁵ / ₂
x39	11.5	9.92	9 ⁷ / ₈	0.315	5 ⁵ / ₁₆	3 ³ / ₁₆	7.99	8	0.530	1 ¹ / ₂	1.03	13 ¹³ / ₁₆	13 ¹³ / ₁₆	↓	↓
x33	9.71	9.73	9 ³ / ₄	0.290	5 ⁵ / ₁₆	3 ³ / ₁₆	7.96	8	0.435	7 ⁷ / ₁₆	0.935	1 ¹ / ₈	3 ³ / ₄	↓	↓

yielding → A_g
Fracture → A_e = U A_{net}

LRFD, ASD



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Tensile yielding LRFD $\rightarrow A_g$

$$\phi = 0.90 \Rightarrow$$

$$A_g = 13.30 \text{ inch}^2$$

$$F_y = 50 \text{ ksi}$$

$$P_n = A_g F_y = 13.30 (50) = 665 \text{ kips}$$

Nominal Tension

$$\phi P_n = 0.90 (665) = 598.5 \approx 599 \text{ kips}$$

ultimate

bigger of

$$\begin{bmatrix} 1.4D \\ 1.2D + 1.6L \end{bmatrix}$$

ASD

Tensile yielding

$$\Omega_t = 1.67$$

$$A_g = 13.30 \text{ inch}^2$$

$$F_y = 50 \text{ ksi}$$

$$P_n = 665 \text{ kips}$$

$$\frac{P_n}{\Omega} = \frac{665}{1.67} = 398 \text{ kips}$$

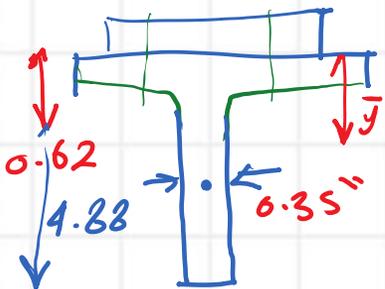
$$\begin{bmatrix} D + L \end{bmatrix}$$

Tensile rupture

$$A_e = U \cdot A_{net} = A_{net} \left(1 - \frac{\bar{X}}{L}\right)$$

How Consider W_T
 $W_{10} \times 4S \Rightarrow$ parent
 5×22.5

Convert



$$d = 5S$$

$$B_F = 8.02$$

$$\bar{y} = 0.907$$

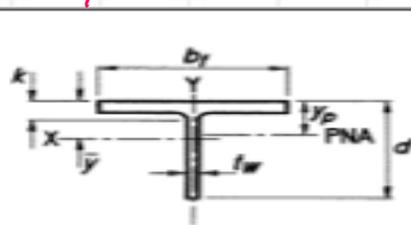


Table 1-8 (continued)
WT-Shapes
 Dimensions

Shape	Area, A in. ²	Depth, d in.	Stem			Flange			Distance		Work-able Gage in.		
			Thickness, t_w in.	$\frac{t_w}{2}$ in.	Area in. ²	Width, b_f in.	Thickness, t_f in.	k					
								k_{des} in.	k_{det} in.				
WT5x22.5	6.63	5.05	0.350	$\frac{3}{8}$	$\frac{3}{16}$	1.77	8.02	8	0.620	$\frac{5}{8}$	1.12	$\frac{15}{16}$	↓
x19.5	5.73	4.96	0.315	$\frac{5}{16}$	$\frac{3}{16}$	1.56	7.99	8	0.530	$\frac{1}{2}$	1.03	$\frac{13}{16}$	
x16.5	4.85	4.87	$\frac{4}{8}$	$\frac{5}{16}$	$\frac{3}{16}$	1.41	7.96	8	0.435	$\frac{7}{16}$	0.935	$1\frac{1}{8}$	

Nom-inal WT. lb/ft	Compact Section Criteria		Axis X-X							Axis Y-Y				Q_s $F_y = 50$ ksi	Torsional Properties	
	$\frac{b_f}{2t_f}$	$\frac{d}{t_w}$	I in. ⁴	S in. ³	r in.	\bar{y} in.	Z in. ³	y_p in.	I in. ⁴	S in. ³	r in.	Z in. ³	J in. ⁴		C_w in. ⁶	
	22.5	6.47	14.4	10.2	2.47	1.24	0.907	4.65	0.413	26.7	6.65	2.01	10.1	1.00	0.753	0.981
19.5	7.53	15.7	8.84	2.16	1.24	0.876	3.99	0.359	22.5	5.64	1.98	8.57	1.00	0.487	0.616	
16.5	9.15	16.8	7.71	1.93	1.26	0.869	3.48	0.305	18.3	4.60	1.94	7.00	1.00	0.291	0.356	

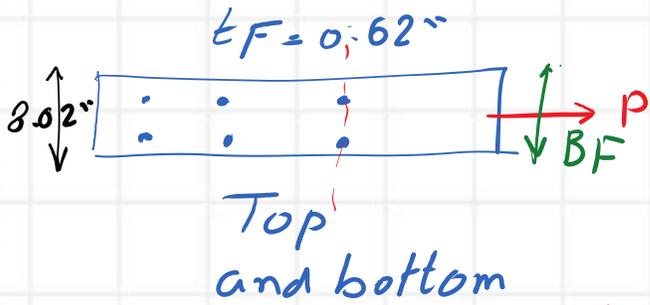
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General Case

2	All tension members, except HSS, where the tension load is transmitted to some but not all of the cross-sectional elements by fasteners or by longitudinal welds in combination with transverse welds. Alternatively, Case 7 is permitted for W, M, S and HP shapes. (For angles, Case 8 is permitted to be used.)	$U = 1 - \frac{\bar{x}}{l}$	
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Case 7 Flange Connection

7	W-, M-, S- or HP-shapes, or tees cut from these shapes. (If U is calculated per Case 2, the larger value is permitted to be used.)	with flange connected with three or more fasteners per line in the direction of loading	$b_f \geq \frac{2}{3} d, U = 0.90$ $b_f < \frac{2}{3} d, U = 0.85$	-
		with web connected with four or more fasteners per line in the direction of loading	$U = 0.70$	web connection



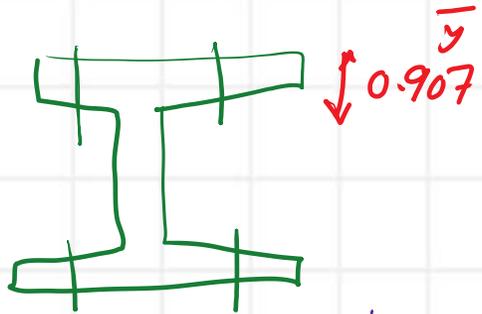
$$A_{net} = A_{gross} - \phi \cdot t_F = 13.30 - \left(\frac{7}{8}\right) 4(0.62) = 11.13 \text{ inch}^2$$

$$\text{For } U = \left(1 - \frac{\bar{x}}{L}\right) \Rightarrow U = \left(1 - \frac{0.907}{2(4)}\right) = 0.8867 = 0.89$$

U From Table

Case-2

Fastener
3 or more



Check b_f/d

$$b_f = 8.02''$$

$$d = 10.10''$$

$$\frac{b_f}{d} = \frac{8.02}{10.10} = 0.794 > \frac{2}{3}$$

$U = 0.90 \rightarrow$ Larger than 0.89

F_u : 65 ksi LRFD

ϕ : 0.75

inch²

$$A_{eff} = 0.90(11.13) = 10.02$$

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7	W-, M-, S- or HP-shapes, or tees cut from these shapes. (If U is calculated per Case 2, the larger value is permitted to be used.)	with flange connected with three or more fasteners per line in the direction of loading	$b_f \geq \frac{2}{3}d, U = 0.90$ $b_f < \frac{2}{3}d, U = 0.85$	-
		with web connected with four or more fasteners per line in the direction of loading	$U = 0.70$	-

LRFD Tensile yielding

$$\phi_T A_g F_y = 599 \text{ kips}$$

Min value
= 488.30 kips

LRFD Tensile rupture

$$\phi_T A_c \cdot F_u = 0.75 (10.02)(65) = 488.30 \text{ kips}$$

ASD $\frac{1}{2} (A_g) (F_y) \overset{k}{399} \rightarrow$ yielding

$$\Omega = 1.67$$

ASD rupture

$$\frac{1}{2} A_e F_u \Rightarrow \Omega = 2$$

$$\frac{1}{2} (10.02)(65) = 325.6 \text{ kips}$$

$\frac{P_n}{\Omega}$ rupture $\Rightarrow 325.60 \text{ kip}$ min

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